

Momentum Transfer Dependence of
Spin Isospin Modes
in Quasielastic Region
(RCNP E131 Collaboration)

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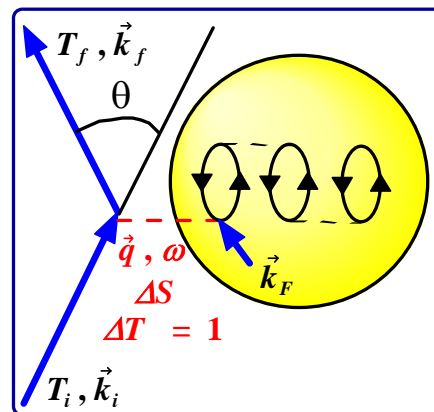
Overview

- **Motivations**
- **Experiment**
- **Definition of Experimental Spin Responses**
- **Experimental Spin Responses**
 - ^2H data
 - ^{12}C data
 - R_L/R_T ratio
 - *Comparison with (e,e') Results*
 - *Comparison with RPA Responses*
- **Spin-Direction Dependence of N_{eff}**
- **2-Step Contribution**
- **Summary**

Quasi-Elastic Scattering

QES Process

- Momentum and energy transfers: q and ω
- Spin Transfer: ΔS
 - *Longitudinal* (π) vs *Transverse* (ρ)
- Isospin Transfer: ΔT



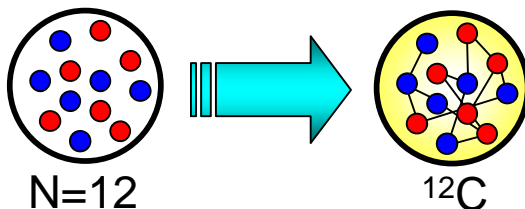
Kinematics

$$\omega = \frac{(\vec{q} + \vec{k}_F)^2}{2m} - \frac{(\vec{k}_F)^2}{2m}$$

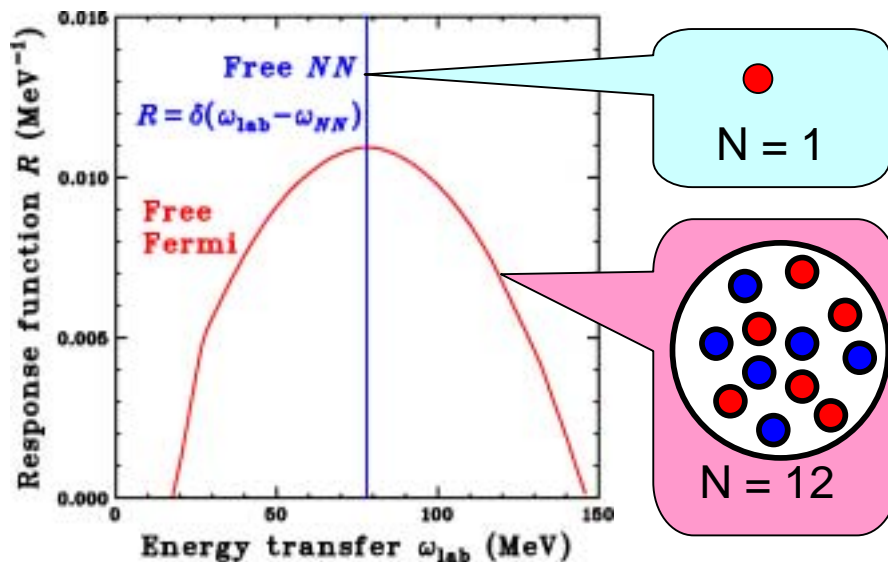
$$= \frac{q^2}{2m} + \frac{\vec{q} \cdot \vec{k}_F}{m}$$

↑ peak
↑ width

Nuclear Correlations



- Response functions ?



Pionic Correlations in Nuclei

- $\pi+\rho+g'$ Model Interaction
 - Spin-longitudinal (π) interaction
 - *Attractive at $q > 0.8 \text{ fm}^{-1}$*
 - Spin-transverse (ρ) interaction
 - *Repulsive*

- Nuclear Spin Response

- Longitudinal Response

$$R_L \propto \left| \langle n | \sigma \cdot \mathbf{q} | 0 \rangle \right|^2$$

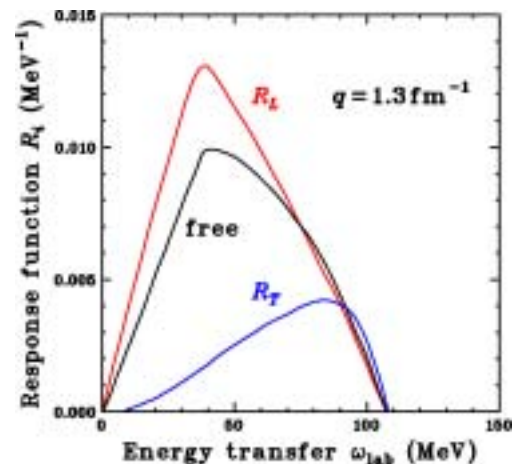
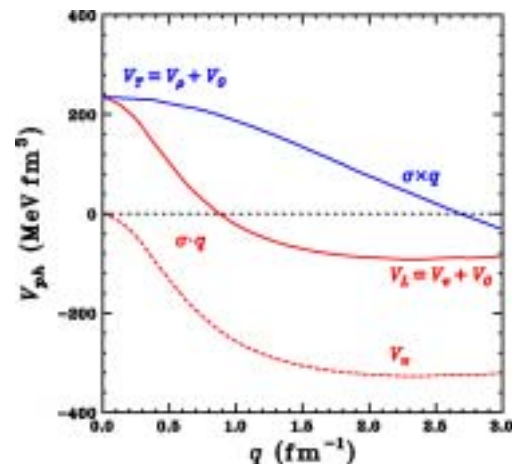
- *Enhancement and Softening*

- Transverse Response

$$R_T \propto \left| \langle n | \sigma \times \mathbf{q} | 0 \rangle \right|^2$$

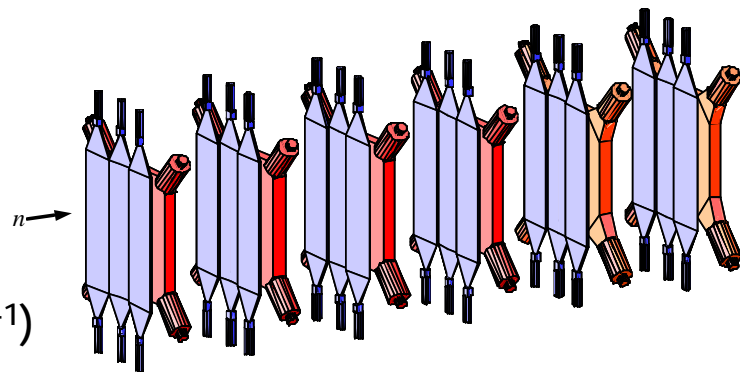
- *Quenching and Hardening*

⇒ enhancement of $\frac{R_L}{R_T}$



Experiment

- Measure complete sets of polarization transfers
 - ^2H (Free response)
 - ^{12}C (Nuclear response)
- Beam
 - 345 MeV polarized protons
 - Beam polarization: 0.70 ± 0.01
 - Beam current: 10-50 nA
- Neutron Detector/Polarimeter NPOL2
 - High Performance of Neutron Polarimetry (FOM)
 - 4.9×10^{-4} @ 300 MeV
(c.f. 2.3×10^{-4} @ LAMPF)
 - High Efficiency of Neutron Detection
 - 0.15 @ 150- 400 MeV
 - TOF flight path length: 100m
- Observables
 - θ_{lab} : 16deg., 22deg., 27deg. ($q=1.2\text{-}2.0\text{fm}^{-1}$)
 - Complete measurement
 - *Cross section*
 - *Analyzing power and induced polarization*
 - *A Complete set of polarization transfers*



Neutron Polarimeter NPOL2

Definition of Experimental Responses

Factorized Form for Quasielastic Scattering

$$I = \tilde{C} N_{\text{eff}} \left(|t_0^\eta|^2 R_0 + |t_q^\eta|^2 R_q + |t_n^\eta|^2 R_n + |t_p^\eta|^2 R_p \right)$$

R_0 : non-spin

R_q : spin-longitudinal

R_n, R_p : spin-transverse

$$\tilde{C} = 8 \left[\frac{\mu_i \mu_f k_f}{(2\pi)^2 k_i} \frac{1}{2(2J_A + 1)} \right] \left[\frac{\sin(\theta_{\text{cm}}) \sqrt{S_{NA}}}{\sin(\theta_{\text{lab}}) M_T^*} \right] (2J_A + 1)$$

NN t-Matrix in the Optimal Frame

$$t^\eta = \left[\begin{aligned} & \left(A^\eta + C_2^\eta \sigma_{1n} \right) \mathbf{1} + \left(B^\eta \sigma_{1n} + C_1^\eta \right) \sigma_{0n} \\ & + \left(E^\eta \sigma_{1q} + D_1^\eta \sigma_{1p} \right) \sigma_{0q} + \left(F^\eta \sigma_{1p} + D_2^\eta \sigma_{1q} \right) \sigma_{0p} \end{aligned} \right] \tau_0 \cdot \tau_1$$

Transform polarization observables from laboratory to c.m. frame

$$\left\{ D_{S'S}, D_{NN}, D_{L'L}, D_{S'L}, D_{L'S} \right\} \longrightarrow \left\{ D_{nn}, D_{qq}, D_{pp}, D_{qp}, D_{pq} \right\}$$

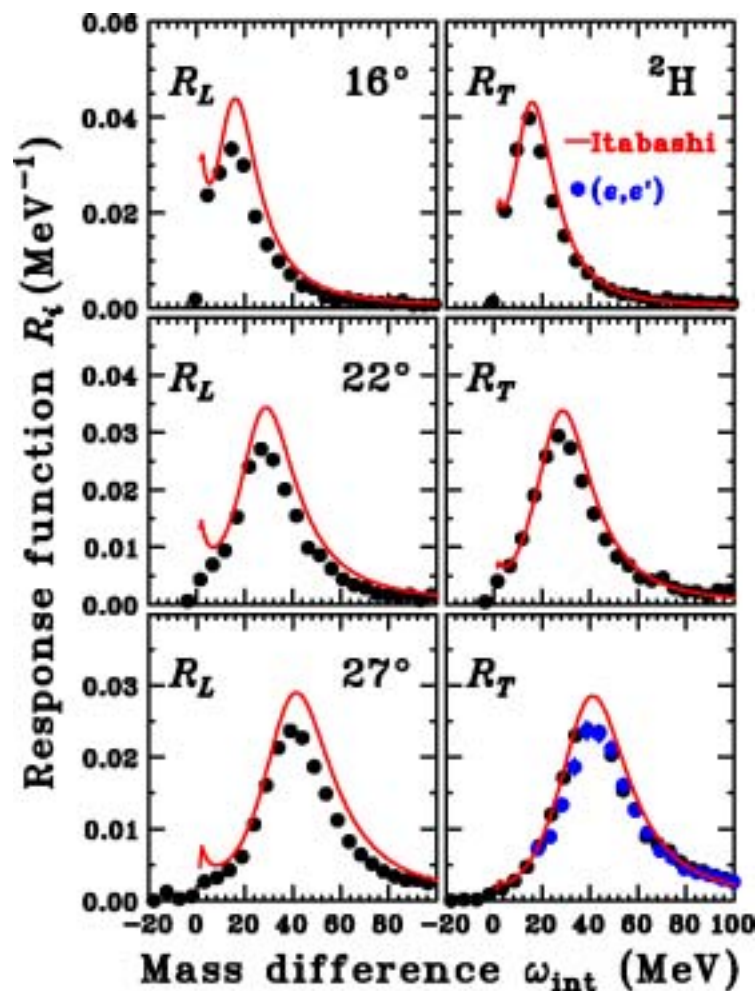
Polarized Cross Sections and Experimental Spin-Responses: R_i

$$I D_q = \frac{I}{4} \left[1 - D_{nn} + D_{qq} - D_{pp} \right] = \tilde{C} N_{\text{eff}} |E^\eta|^2 R_q$$

$$I D_p = \frac{I}{4} \left[1 - D_{nn} - D_{qq} + D_{pp} \right] = \tilde{C} N_{\text{eff}} |F^\eta|^2 R_p$$

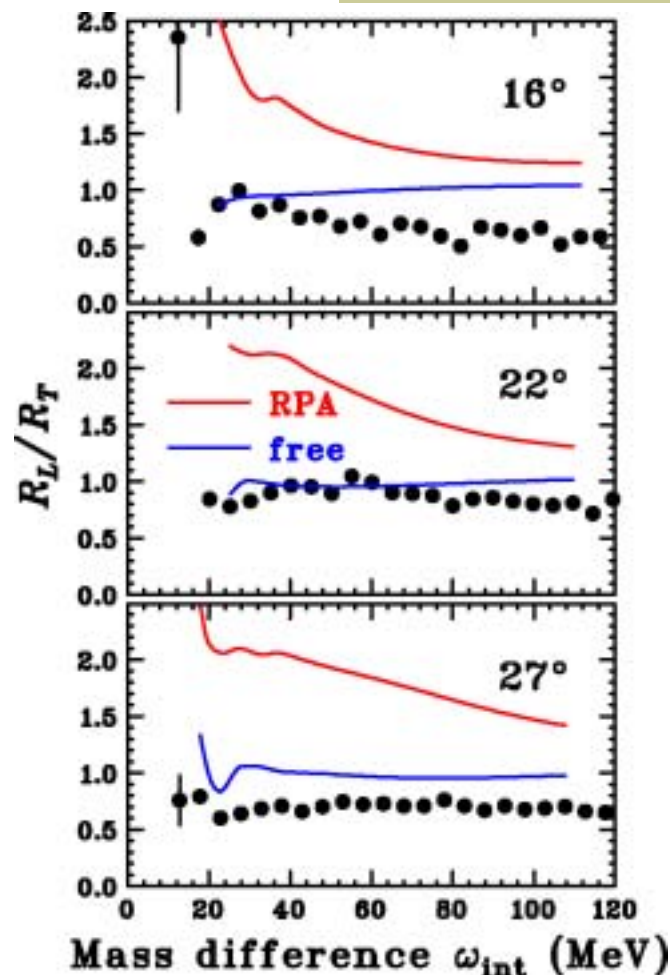
Response Functions for ^2H

- **Simplest nuclear system**
 - Benchmark reaction
 - Check the formalism to deduce response functions
- **Data**
 - : (p,n) data at RCNP
 - : (e,e') data at MIT-Bates
 - : Itabashi et al.
- **Comparison with (e,e')**
 - Good agreement with (e,e')
 - Formalism is appropriate
 - Exp. Data (absolute values) are reliable
- **Comparison with calculations**
 - Overestimate the experimental results ((p,n) and (e,e'))
 - MEC effects are not included in the calculations



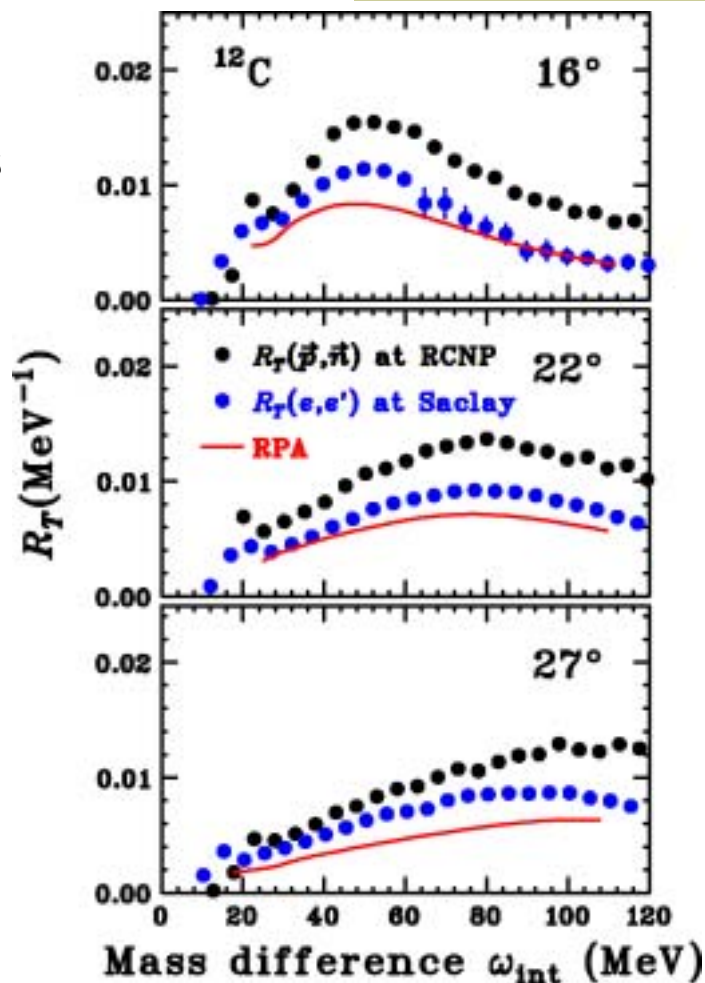
Ratios of Response Functions for ^{12}C

- **Response Ratio**
 - Less than 1 at all momentum transfers
- **No-evidence of enhancement of R_L relative to R_T**
 - Consistent with the results of (p,p') and (p,n) at LAMPF
- **No-enhancement of R_L ?**
 - No-enhancement of R_L
 - No-quenching of R_T
 - Both



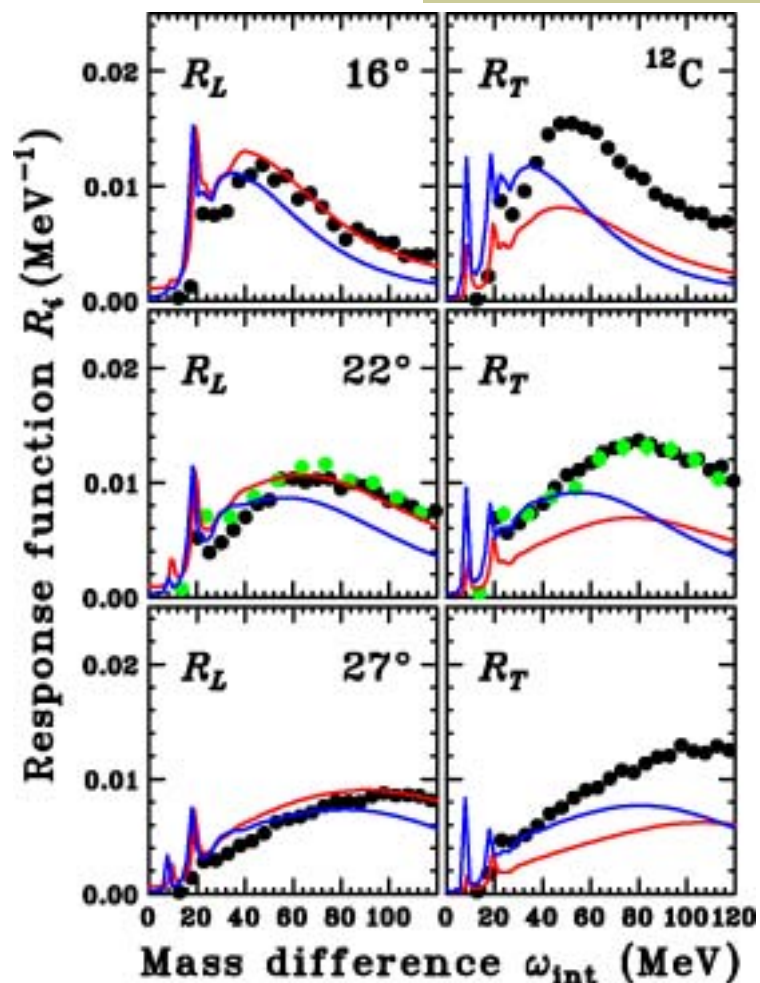
Comparison to (e,e') Results

- Comparison to (e,e')
 - $R_T(p,n) = R_T(e,e')$
if we ignore the MEC contributions
- (e,e') vs. RPA
 - $R_T(e,e') > R_T(\text{RPA})$
 - 2p2h and MEC contributions
- (p,n) vs. (e,e)
 - $R_T(p,n) > R_T(e,e')$
 - $R_T(p,n) \gg R_T(\text{RPA})$
 - Mask the pionic enhancement in R_L/R_T
 - Spin-direction dependence of N_{eff} ?
 - 2-step contribution?



Comparison to RPA Responses

- RPA responses
 - $\pi + \rho + g'$ model
- Data
 - : RCNP data
 - : LAMPF data
 - : RPA responses
 - : Free response
- Spin-Longitudinal R_L
 - Enhancement :
 - *Signature of pionic enhancement*
- Spin-Transverse R_T
 - Hardening :
 - *Standard ρ -exchange model :*
 - Quenching : \times
 - *Spin-dependent N_{eff} ?*
 - *2-step contribution ?*



Spin-Direction Dependence of N_{eff}

Spin-Direction Dependence of N_{eff}

- ID_i^{DW} : DWIA+RPA
- ID_i^{PW} : PWIA+RPA
- $N_{i;\text{eff}}$ is defined as

$$N_{i;\text{eff}}(\omega) = N \frac{ID_i^{\text{DW}}(\omega)}{ID_i^{\text{PW}}(\omega)}$$

Spin-Longitudinal $N_{q;\text{eff}}$ (Small effects)

- $N_{q;\text{eff}} > N_{\text{eff}}$ at 16°
 - *Enhance the enhancement of R_L*
- $N_{q;\text{eff}} < N_{\text{eff}}$ at 27°

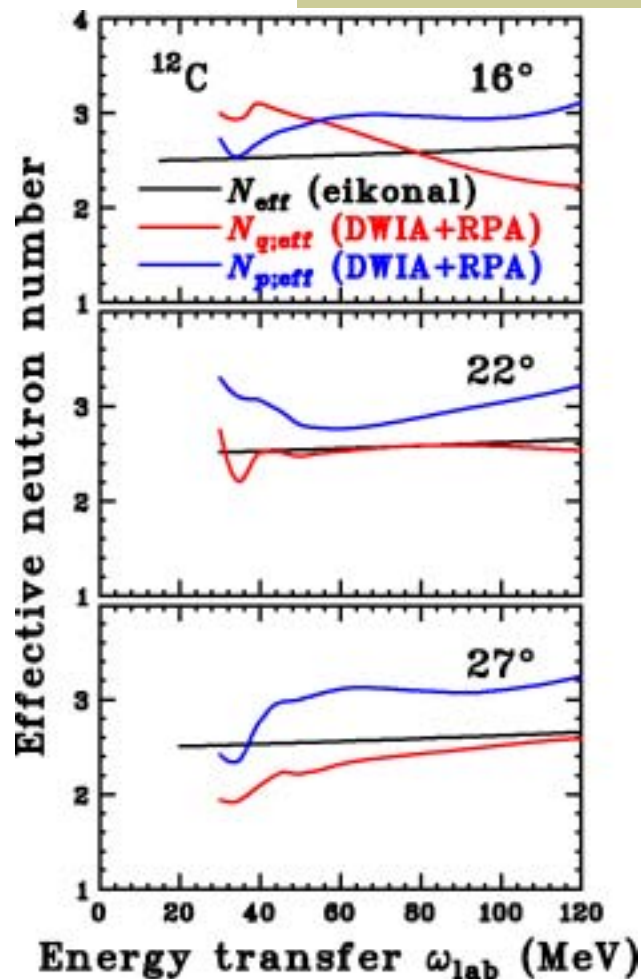
■ *Mask the enhancement of R_L*

Spin-Transverse $N_{p;\text{eff}}$ (Large Effects)

- $N_{p;\text{eff}} \gg N_{\text{eff}}$ at all angles

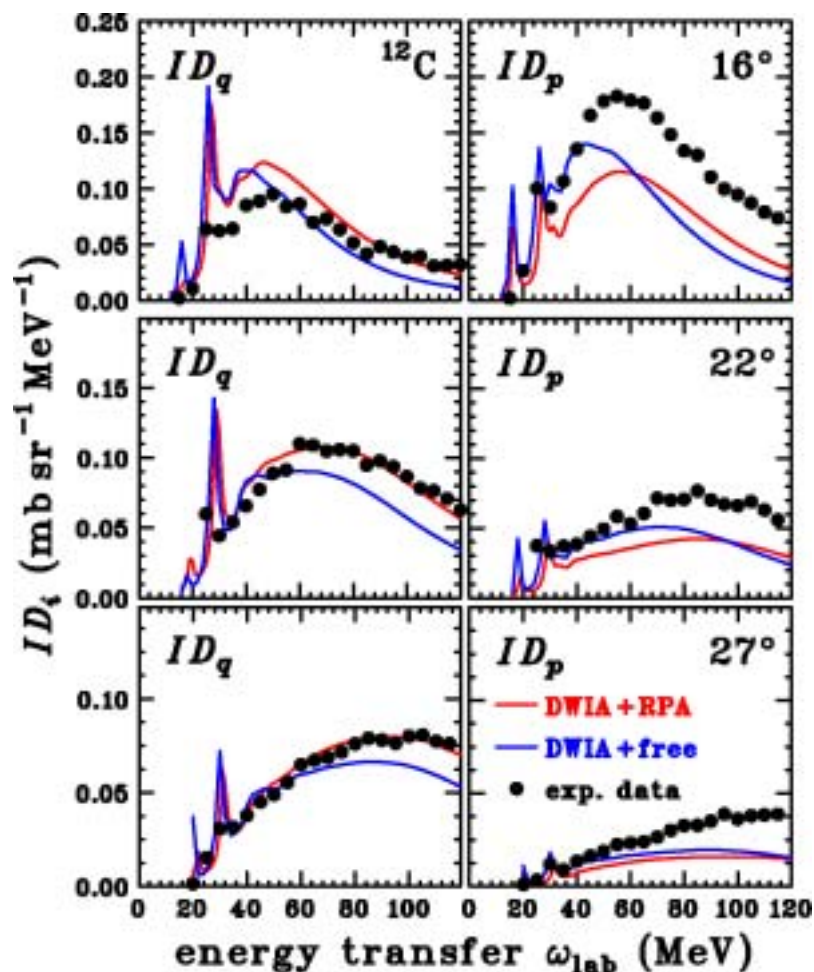
■ *Mask the quenching of R_T*

- N_{eff} description in eikonal approximation is not appropriate especially for spin-transverse mode



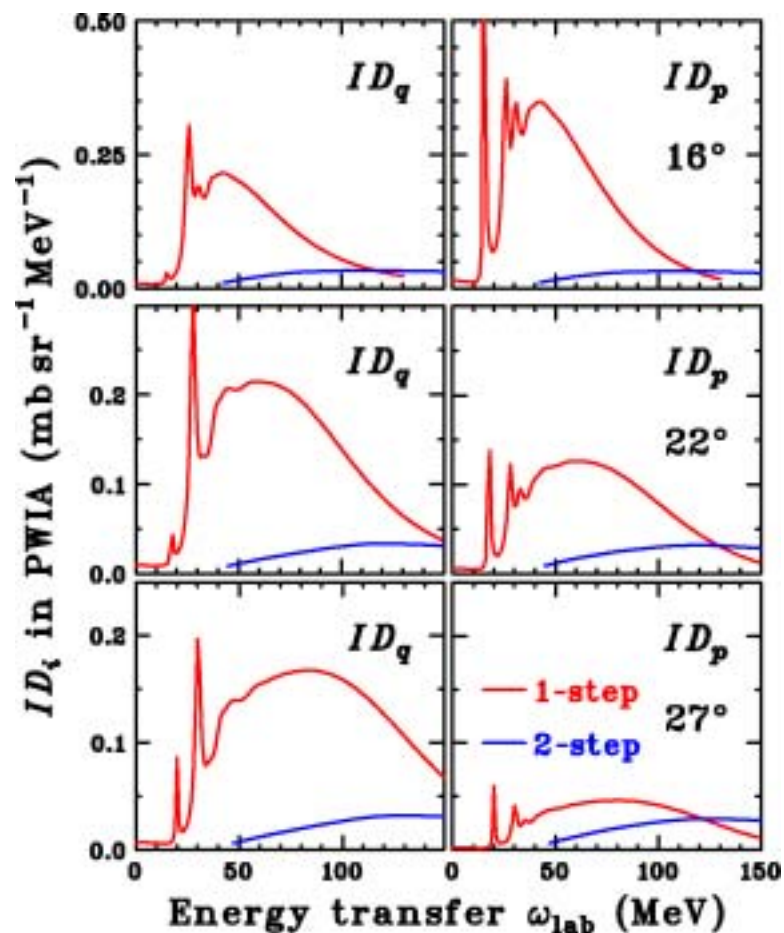
Comparison to DWIA+RPA

- DWIA+RPA by Ichimura Group
- Spin-Longitudinal ID_q
 - Fairly good agreement with data at whole region
 - Signature of pionic correlations
- Spin-Transverse ID_p
 - Discrepancy becomes small compared with R_i
 - Underestimate at whole region
 - Spin-direction dependence of N_{eff} is not sufficient to explain the enhancement of R_T
 - 2-step contribution?
 - Spin-direction dependent?



2-Step Contributions in ID_q and ID_p

- **Plane Wave Calculations**
 - Full spin-direction dependence in both 1-step and 2-step processes
 - Contribution to each ID_i
 - 2-step contribution to ID_q
 - 2-step contribution to ID_p
 - Plane Wave Approximation
 - 2-step relative to 1-step
- **Results**
 - 2-step of $ID_p >$ 2-step of ID_q
 - 2-step contribution in ID_q
 - *Small*
 - *becomes small at large q*
 - 2-step contribution in ID_p
 - *Fairly large*
 - *becomes large at large q*

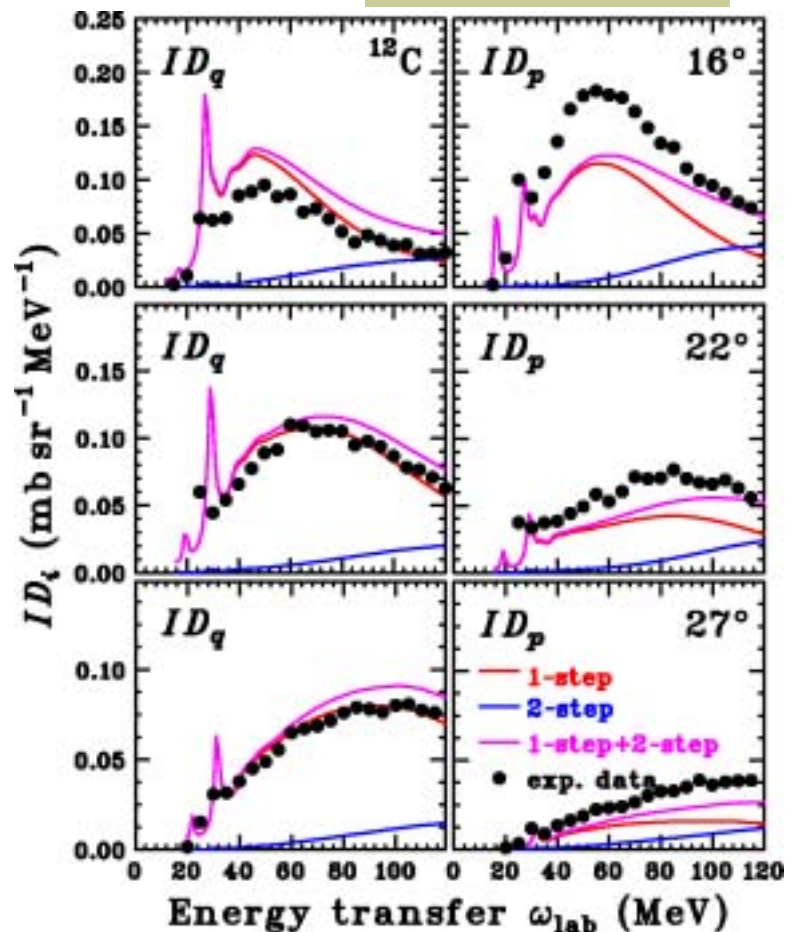


DWIA+RPA and 2-Step Contribution

- **1-Step Contribution**
 - DWIA+RPA Calculation
- **2-Step Contribution**
 - PW approximation with full spin-direction dependence
 - 2-step contribution is calculated as

$$2step = 1step(DWIA + RPA) \times \frac{2step(PW)}{1step(PW)}$$

- **ID_q: Small effect**
 - Not disturb the agreement at low ω
 - Slightly overestimate at large ω
- **ID_p: Better description**
 - Well reproduce the exp. data at large ω
 - Discrepancy around the peak
 - 2p2h configurations ?



K. Kawahigashi et al. PRC 63, 044609 (2001)

Y. Nakaoka, PRC 65, 064616 (2002)

Summary

- Complete sets of polarization observables for quasi (p,n) reactions
 - ^2H (Free Response) and ^{12}C (Nuclear Response) at $q = 1.2 - 2.0 \text{ fm}^{-1}$
- Results for ^2H
 - Fairly good agreement with theory
- Results for ^{12}C
 - $R_i : R_L/R_T < 1$ (No enhancement)
- Comparison to (e,e') and RPA
 - Enhancement of R_L
 - *Evidence of pionic correlations in nuclei*
 - Enhancement of R_T (Not quenching)
 - *Mask the signature of pionic enhancement in R_L/R_T*
 - *Spin-direction dependence of N_{eff} / 2-step contribution*
- Comparison to DWIA+RPA (Spin-Direction Dependence of N_{eff})
 - Spin-direction dependence of N_{eff} is important for the spin-transverse mode
 - Enhancement in the spin-transverse mode
- 2-Step contribution
 - 2-step contribution is important for the spin-transverse mode
 - Discrepancy in the spin-transverse mode becomes small significantly
 - Enhancement in the spin-transverse mode (2p2h configuration ?)

NTOF Facility and NPOL2



n-Polarimeter NPOL II

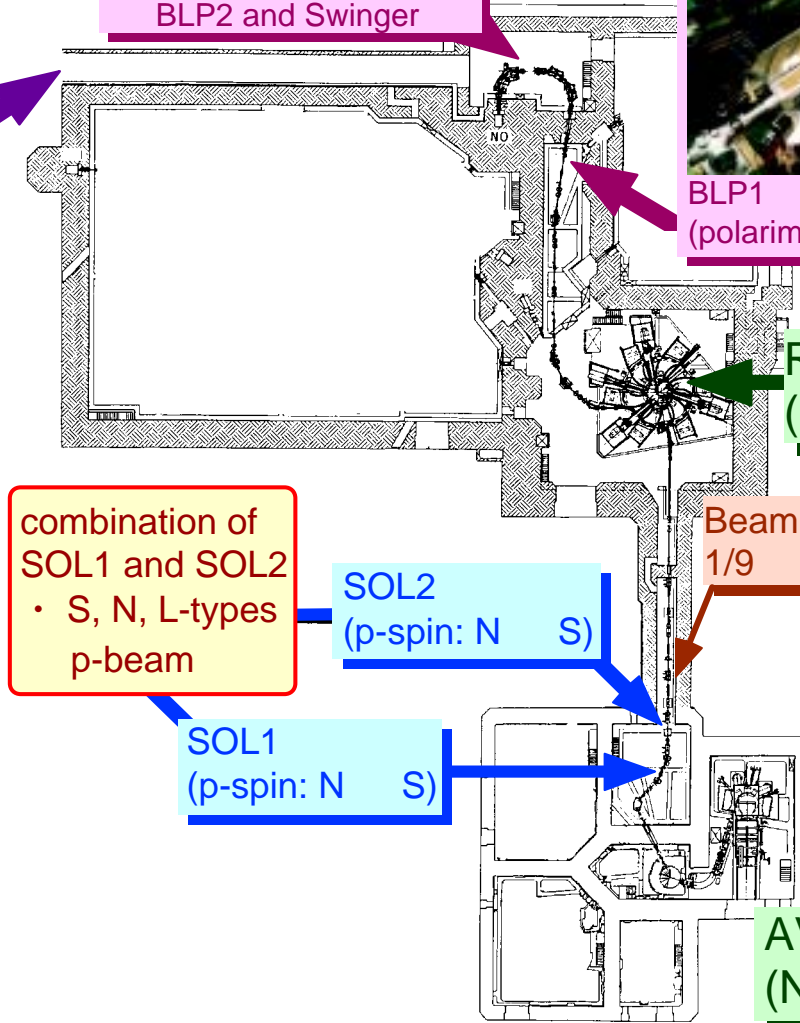


BLP2 and Swinger

combination of BLP1 & BLP2
• determine (p_S, p_N, p_L)



BLP1
(polarimetry: $^1H(p,p)^1H$)



Neutron Polarimeter NPOL2

■ Position Sensitive 2D Neutron Detectors

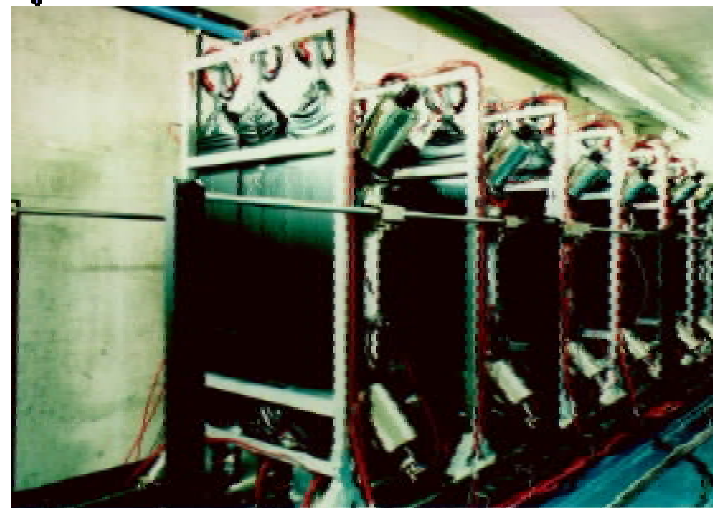
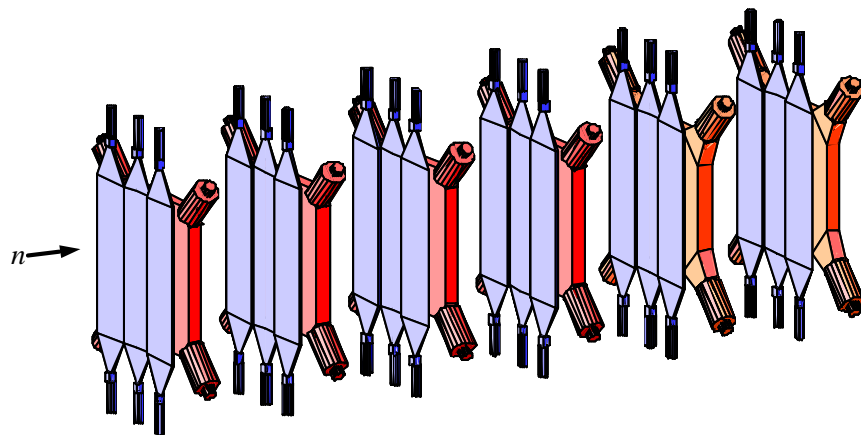
- 6 layers
- 1 m x 1 m x 0.1 m
- 4 layers: Liquid sci. BC519
- 2 layers: Plastic sci. BC408

■ High Performance of Neutron Polarimetry (FOM)

- IUCF 4.6×10^{-5} @ 160 MeV
- LAMPF 2.3×10^{-4} @ 500 MeV
- RCNP 4.9×10^{-4} @ 300 MeV

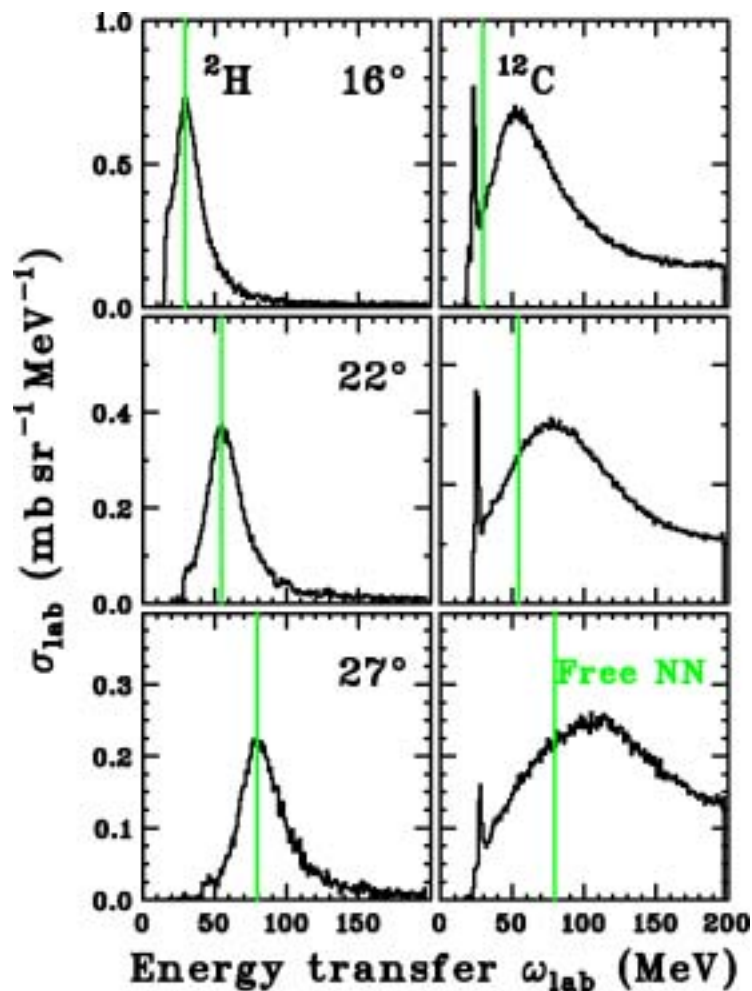
■ High Efficiency of Neutron Detection

- RCNP 0.15 @ 150- 400 MeV



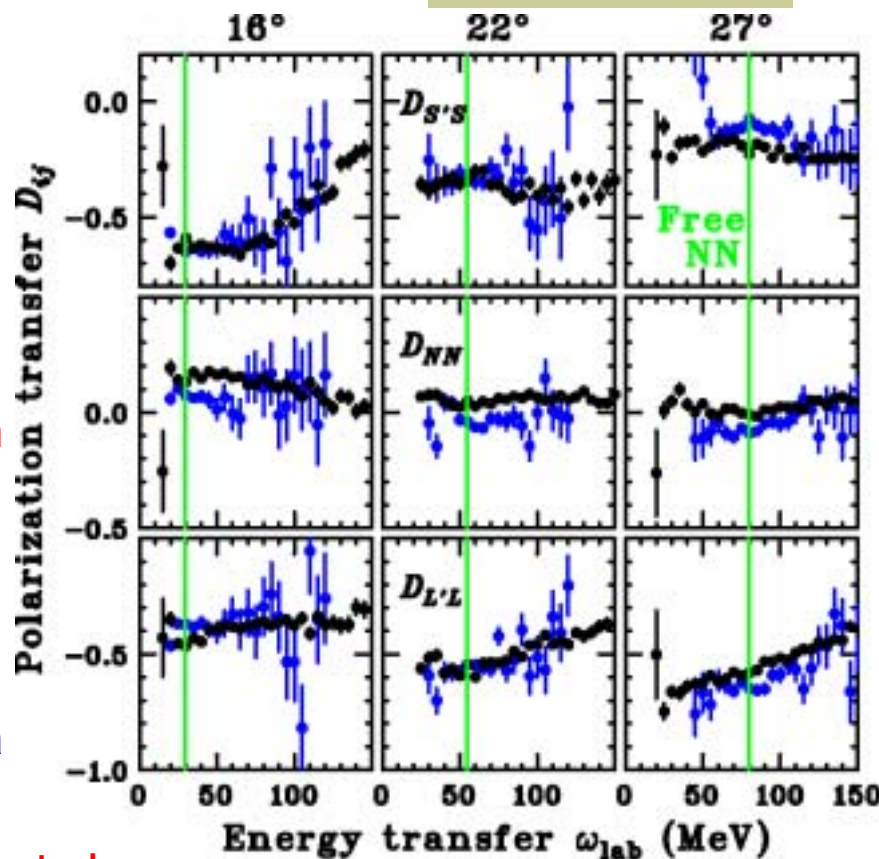
Cross sections of (p,n) QES

- ^2H Target
 - Almost no-shift
 - Free response
- ^{12}C Target
 - Large shift
(more than 20 MeV)
- Large shift observed in nuclear targets
 - Signature of hardening of R_T ?



Polarization Transfer Coefficients

- **Experimental data**
 - : ^{12}C data
 - : ^2H data
- **Statistical uncertainties**
 - $\Delta D_{ij} = 0.014/5\text{-MeV}$
(cf. $0.028/10\text{-MeV}$ at LAMPF)
 - **Highly accurate responses can be extracted**
- **Target dependence**
 - ^2H data = ^{12}C data
 - Nuclear correlation effects are not observed clearly in D_{ij} data
- **Search for pionic correlations**
 - **Cross sections should be separated into spin-longitudinal and spin-transverse modes**

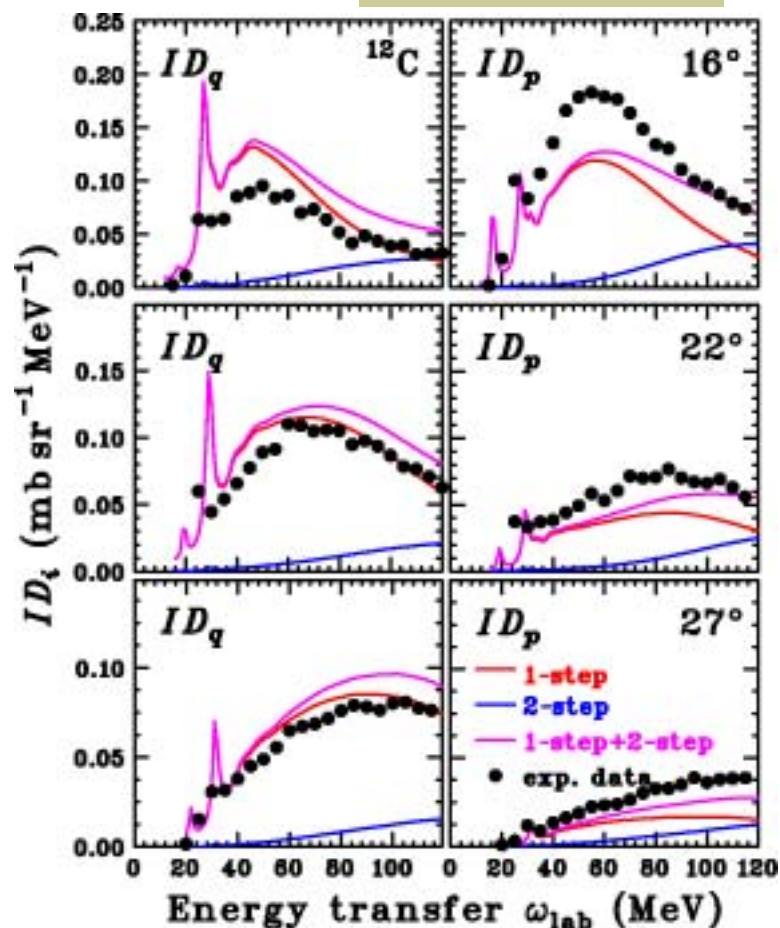


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